# Reactive Robot Control with Hybrid Operational Models in a Seaport Container Terminal Considering System Reliability

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Abstract— When robot maintenance impedes the operation of other robots in a seaport container terminal, the operational efficiency is reduced. Therefore, robot reliability is necessary. In this paper, we propose a reactive robot control system with hybrid operational models for flexible and efficient container handling in consideration of robot reliability. For this purpose, we focus on three operational models in the states of normal, preventive, and corrective maintenance in order to utilize the mutual substitutability of the operation among robots. By applying hybrid operational models, each robot is able to respond to the dynamically changing states reactively. Finally, we discuss the effectiveness of the proposed system in a seaport container terminal.

*Index Terms*—Reliability, preventive and corrective maintenance, reactive robot control, hybrid operational models, mutual substitutability, AGV, ATC.

## I. INTRODUCTION

In a seaport container terminal system, there are various types of robots [1]. Robot reliability is a particularly serious concern due to the fact that the system is subjected to salt erosion. The reliability of an item is expressed by the probability that the item will perform its required function under given conditions for a stated time interval [2]. In research that deals with flexible manufacturing systems (FMSs), system reliability has already been investigated from the viewpoint of the endurance and fault tolerance of robots (machines) [3] [4]. Savsar has described the importance of preventive and corrective maintenance for system reliability [5]. On the other hand, few investigations of seaport container terminal systems consider reliability: one of these studies by Hoshino et al. deals with the reliability design of operating robots [6], and another, by Bruzzone et al., deals with container logistics node design [7]. However, although operating robots are preventively maintained on the basis of the degree of reliability, robot failure has not been considered at all [6].

In an actual seaport container terminal system, in order to minimize the loss of operating efficiency even when a robot undergoes maintenance, a large number of robots are readied and used on the assumption that operating robots fail fortuitously. However, such a policy increases the required number of robots, and, therefore, the initial investment. Therefore, in this paper, we approach this issue from the system management side.

Fig.1 shows an automated transportation system that is called a horizontal automated guided vehicle (AGV) transportation system in a seaport container terminal. The effectiveness of the system has been shown compared to the

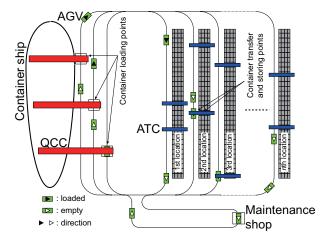


Fig. 1. Horizontal AGV Transportation System in a Seaport Container Terminal (top view)

vertical one by controlling the operating robots efficiently [8]. Thus, we address and manage the horizontal system considering efficient maintenance of the operating robots.

# II. SEAPORT CONTAINER TERMINAL

## A. Horizontal AGV Transportation System

In the horizontal AGV transportation system shown in Fig.1, quay container cranes (QCCs) at the quay side, automated transfer cranes (ATCs) at the container storage yard side, and AGVs for container transport between the quay and yard sides are in operation. In this paper, we refer to the AGV and ATC as operating robots. Since each robot has a radio communication device, the robots are able to share their information with neighbors based on the distributed blackboard, namely, "sign-board" model [9]. A container storage location consists of a 320 [TEU (Twenty-foot Equivalent Unit)] container space. There are three QCCs at the quay side, and two ATCs of different sizes are operating at one location.

While Qiu and Hsu *et al.* have focused on a transportation system with a bidirectional path layout to take into account inter-berth operations [10] [11], in this paper, we focus on a unidirectional path layout because the layout is suitable for more conflict-free container routing even if a simple and feasible routing rule for the system automation is applied. Thus, we do not address a multiple berth scenario, such as a traffic pattern of distributing into and gathering from different berths.

### B. Container-Handling Operation

We limit container movement to one-way flow, i.e., from the quay side to the yard side in the course of container

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loading, transport, transfer, and storing operations as follows:

- 1) A QCC loads a container from the container ship to the AGV.
- 2) The AGV transports the container from the quay side to a destination location in the container yard.
- 3) Right after the AGV goes into an adjacent yard lane to the location, an ATC is called.
- 4) The AGV begins container transfer to the ATC after the ATC arrives at the position.
- 5) The AGV that has completed transferring goes back to a QCC.
- 6) The ATC to which the container has been transferred stores it at the storage position.

The effectiveness of the container assignment and order scheduling methods has been shown by the authors [12] [13]. Thus, the operating robots perform container-handling tasks as follows: regardless of the operational state, the tasks are equally given from three QCCs; in other words, containers are equally loaded onto the AGVs by the QCCs. In addition, the containers are equally assigned to each location in the container storage yard. The tasks are all scheduled so that the total moving distance of the ATCs is minimized.

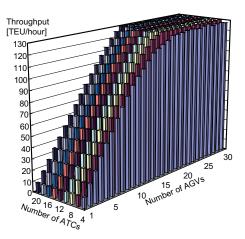
## **III. CHALLENGES**

Fig.2 shows the container-handling simulation result with the AGVs and ATCs. Fig.2(a) indicates the throughput of an ideal system in which, although the operating robots are not maintained preventively, they do not fail at all. Fig.2(b) indicates the throughput of a system in which preventive maintenance of the operating robots and corrective maintenance for a failed robot are done. Here, the MTBFs (Mean Time Between Failures) of the AGV and ATC in the simulation (Fig.2(b)) are 50 and 40 hours, respectively. From the results shown in Fig.2(a), it is evident that the throughput increases as the number of AGVs and ATCs increases, and, then, the throughput converges at 130 [TEU/hour]. On the other hand, from the results shown in Fig.2(b), it is evident that the maximum throughput is less than 120 [TEU/hour]; sometimes the throughput does not converge. In addition, it is clear that the throughput decreases significantly due to the maintenance activity.

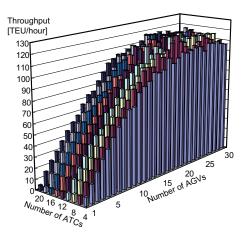
These results denote that the system shown in Fig.2(b) is insufficient for a system in which the operating robots have to be maintained in consideration of robot reliability. Hence, for the realization of efficient and flexible container handling, we address the following challenge:

• Even in a case in which a robot has to be maintained due to decreased operational function or failure, ideally, the system should continue operation as efficiently as possible without interruption, as shown in Fig.2(a). Hopefully, this is done by controlling other robots and preventing the system from being obstructed by the robot undergoing maintenance.

For this challenge, we focus on operational models in order to utilize the mutual substitutability of the operation among robots that have similar functions. We define the system operational states as follows: 1. normally operating, 2. preventive maintenance, and 3. corrective maintenance, and develop suitable operational models for the three states. By applying the developed hybrid operational models, each



(a) Ideal system without any maintenance



(b) Actual system with preventive and corrective maintenance

Fig. 2. Container-Handling Simulation Result: System Throughputs

robot is able to respond to the dynamically changing states  $1 \sim 3$  reactively. This is a reactive robot control system that takes reliability into account.

#### IV. ROBOT RELIABILITY

In this paper, we assume that the probability density function on the time span of a normally operating robot in the system follows an exponential distribution. Thus, the failure rate of the operating robot  $(\lambda(t))$  at time t is constant (see Eq.(1)). Each operating robot, on the basis of the failure rate,  $\lambda_0$ , fails fortuitously. Furthermore, the degree of reliability (R(t)), which is the probability that the robot has not failed by time t, is derived from Eq.(2). Therefore, based on the degree of reliability, each robot stops operating and enters the preventive maintenance mode when its degree of reliability is under a threshold value. In other words, we decide the robot preventive maintenance timing t on the basis of R(t). The initial MTBF of the operating robot,  $MTBF_{init}$ , is derived from Eq.(3).

$$\lambda(t) = \lambda_0 \tag{1}$$

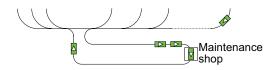


Fig. 3. AGV Operational Model in the Preventive Maintenance State

$$R(t) = e^{-\lambda_0 t} \tag{2}$$

$$MTBF_{init} = \int_0^\infty R(t) \, dt = \int_0^\infty e^{-\lambda_0 t} \, dt = \frac{1}{\lambda_0} \quad (3)$$

From Eq.(1), Eq.(2), and Eq.(3), the failure rate  $(\lambda(t))$  and degree of reliability (R(t)) can be derived from the reciprocal number of the initial MTBF  $(MTBF_{init})$ . Moreover, we consider that the initial MTBF of the robot decreases according to the cumulative operation time  $(t_{hour})$ , as seen in Eq.(4), where x denotes a reduction factor. Hence,  $\lambda(t)$ and R(t) are repeatedly calculated from the renewed MTBF.

$$MTBF(t_{hour}) = MTBF_{init} - x \times t_{hour} \tag{4}$$

# V. REACTIVE ROBOT CONTROL WITH HYBRID OPERATIONAL MODELS

### A. Operational Model in the Normal State

In the normally operating state, the robots are controlled with the use of the operational model as follows: the AGV selects the shortest lane to the destination and does not change the destination and lane while moving. The ATC has its own operation area on the location, and, thus, the ATC does not operate in another ATC operational area.

## B. Operational Model in the Preventive Maintenance State

Since there are a limited number of maintainers, in this paper, only one AGV and one ATC in the preventive maintenance mode are maintained. Hence, in a case in which multiple AGVs and ATCs enter the preventive maintenance mode at the same time, it is necessary to preventively maintain the robots efficiently in order to take advantage of the mutual substitutability of the operation among robots.

As for the AGV, if an AGV is preventively maintained on every transport lane, the AGV becomes an obstacle to other AGVs. To solve this problem, we parallelized the system by providing a maintenance shop as shown in Fig.3. By doing this, the system is able to keep operating except in a case in which all AGVs are in the maintenance mode and go to the maintenance shop. Here, an AGV that arrives at the maintenance shop first is maintained according to the First-In First-Out (FIFO) rule.

On the other hand, since there are two ATCs at one location, even if an ATC at the location is in the preventive maintenance mode, another ATC is able to perform its task instead by sharing their operations areas. Fig.4 shows container transfer and storing operations among the AGVs and ATCs in a case in which one ATC at the location enters the preventive maintenance mode. In Fig.4(a), two ATCs are normally operating; then, in Fig.4(b), one (small) ATC is in the preventive maintenance mode at the edge of the location. For this situation, if the other (large) ATC is in a standby state, the ATC moves to support the other's operation with the waiting AGV (see Fig.4(c)) in communication with

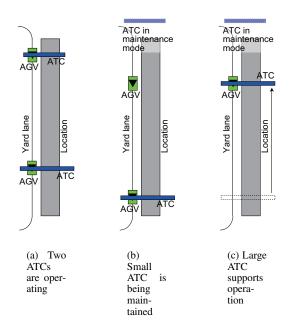


Fig. 4. ATC Operational Model in the Preventive Maintenance State

the small ATC. However, if both ATCs at the location are in the preventive maintenance mode at the same time, the flow of incoming AGVs is disrupted on the adjacent yard lane to the location. As a result, the whole system operation might be interrupted. To solve this problem, we developed the following preventive maintenance rules:

- If there is a location where two ATCs are both in the preventive maintenance mode, one of two ATC at the location is selected for maintenance according to priority.
- If either ATC operates at every location, an ATC that enters the preventive maintenance mode first is main-tained by rotation.

## C. Operational Model in the Corrective Maintenance State

It is difficult to completely prevent the accidental failure of the operating robot even if they are maintained for prevention regularly. Therefore, as well as the operational model in the preventive maintenance state, we consider an operational model in order to take advantage of the mutual substitutability of the operation. In this paper, we focus on operational models in the quay and container storage yard sides, where there are multiple lanes. In communication with each other on a communication lane, an AGV is able to identify whether any failed AGVs or RTGCs exist in the quay and container storage yard sides.

1) Operational model in the quay side:

- If there is a failed AGV at a destination (QCC) or on the lane, the normally operating AGV changes the destination to another QCC closest to the current destination as a new destination according to priority and selects a new lane.
- However, if there are several QCCs that have same priority, the AGV changes the current destination to a QCC located on the yard side and selects a new lane

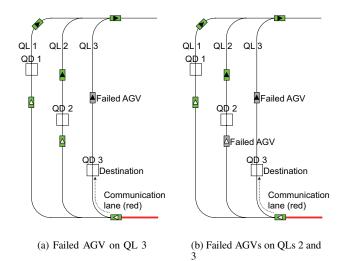


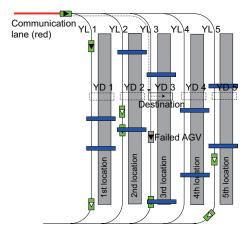
Fig. 5. Operational Model at the Quay Side in the Corrective Maintenance State

as well in consideration of the moving distance of the AGV.

Fig.5 shows an example of the operational model when an AGV fails in the quay side. Here, in the quay side, there are three QCCs operating on three quay lanes (QLs). Fig.5(a) shows that the quay side destination (QD) of an AGV moving on the (red) communication lane is QD 3. However, the AGV notices that a failed AGV exists on QL 3 in communication with AGVs; hence, the AGV changes the destination from QD 3 to QD 2 and selects QL 2. Fig.5(b) shows a case in which, although the AGV on the communication lane is moving to destination QD 3, there are failed AGVs on QLs 3 and 2. In this case, the AGV changes the destination to QD 1 and selects QL 1.

- 2) Operational model in the yard side:
- If there are failed ATCs and AGVs at a destination (location) or on the lane, the normally operating AGV changes its destination to another location closer to the current destination from the locations located on the quay side in comparison to the current destination according to priority and selects a new lane.
- However, if there are failed ATCs and AGVs at every location or on every lane located on the quay side, the normally operating AGV changes the destination to another location closer to the current destination from the locations located on the land side according to priority and selects a new lane.
- The container transfer and storing points at a location are not changed even if the destination is changed.

Fig.6 shows an example of the operational model in a case in which the AGVs and ATCs failed in the container storage yard. Fig.6(a) shows that the yard side destination (YD) of an AGV moving on the (red) communication lane is YD 3, located at the adjacent 3rd location to the yard lane (YL) 3. However, the AGV notices that there is a failed AGV on YL 3 through communication with other AGVs and ATCs; hence, the AGV changes the destination from YD 3 to YD 2 from the candidates YD 1, 2, 4, and 5 and selects YL 2.



(a) Failed AGV on YL 3

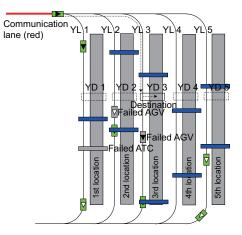


Fig. 6. Operational Model at the Container Storage Yard in the Corrective Maintenance State

In Fig.6(b), there are one failed ATC at the first location and failed AGVs on YL 3 and 2. In this case, the destination is changed to YD 4, and then YL 4 is selected as well.

## VI. SIMULATION EXPERIMENT

## A. Experimental Condition

The initial MTBFs of the AGV and ATC are 50 and 40 hours, respectively. These are minimum parameters given in our previous work [6]. Each operating robot is preventively maintained at time t when the degree of its reliability is less than 0.9, that is,  $R(t) \leq 0.9$ . The R(t) of a robot, which was once preventively maintained, is reset to one (R(t) = 1). Here, the initial degree of reliability of each operating robot at the start of a simulation is given randomly as follows:  $0.9 < R(t) \leq 1.0$ . Moreover, as for Eq.(4), the MTBF of each robot is decremented by 0.1 (reduction factor: x = 0.1) for the cumulative operation time  $(t_{hour})$ .

As for preventive maintenance, we assume parts inspection, consumable parts replacement, and main parts replacement; thus,  $0.3 \sim 0.5$  [hour] for the AGV and  $0.2 \sim 0.4$  [hour]

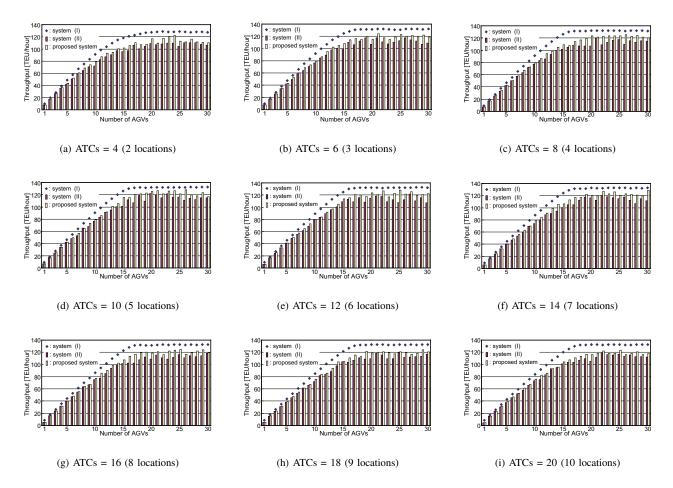


Fig. 7. Comparison Result of Systems ((I), (II), and the proposed one) on the Basis of the Throughputs

for the ATC are required. These preventive maintenance times are randomly determined. As for the failed robots,  $0.5 \sim 1.0$  [hour] for the AGV and  $0.4 \sim 1.0$  [hour] for the ATC are required for their correction. These corrective maintenance times are also determined randomly.

The total number of containers in a container ship, that is, the number of tasks, is 600 [TEU]. Here, because there is a 320 [TEU] container space at one location, two locations, i.e., at least four ATCs, are needed in the system. In this experiment, we do a 10-time simulation for 10 incoming container ships with 600 [TEU] containers. The maximum numbers of AGVs and ATCs used in the container-handling simulation are 30 and 20, respectively.

As for the performance of the AGV for the container transport, the maximum traveling speeds are given as 5.56 (loaded) and 6.94 (empty) [m/s] depending on the presence of a container. The acceleration and deceleration speeds are 0.15 and 0.63 [m/s<sup>2</sup>] regardless of the presence of a container. The maximum moving speed of the ATC is 2.5 [m/s], and the acceleration and deceleration speeds are 0.1 and 0.4 [m/s<sup>2</sup>], respectively. The container loading time by the QCC, the container transfer time from the AGV to the ATC, and the container storing time by the ATC, which are described in II-B, are 60, 30, and 30 seconds, respectively.

To discuss the effectiveness of the proposed reactive robot control system with the developed three hybrid operational models, we compare the proposed system to (I) the ideal system, in which, although the operating robots are not preventively maintained, they do not fail at all with the use of the operational model described in V-A (see Fig.2(a)), and (II) a system in which, although the operating robots are preventively maintained with the use of the two operational models described in V-A and V-B, they are not efficiently controlled in the corrective maintenance state (see Fig.2(b)).

## B. Simulation Result

Fig.7 shows the comparison result of the systems on the basis of the throughput. The blue (and diamond-shaped) plot denotes the throughput of the ideal system (I); the red bar graph denotes the throughput of the system (II); and the white bar graph denotes the throughput of the proposed system, in which the operating robots are reactively controlled even in the corrective maintenance state by switching three hybrid operational models, described in V-A, V-B, and V-C.

From the result, for the system in which the robots, which have to be maintained for the prevention and correction in consideration of the reliability, are operating, we can see that the proposed system throughput for the all combination of AGVs and ATCs is higher than the throughput of the system (II). From the results of Fig.7(d)  $\sim$  Fig.7(f), we obtained several higher throughputs near the ideal system throughputs. This is because the robots failed on the lanes

TABLE I INCREASE OF THE SYSTEM THROUGHPUT

Number of	Average	Max.	Min.
ATCs (locations)	[TEU/hour]	[TEU/hour]	[TEU/hour]
4 (2)	6.0	12.3	0.9
6 (3)	7.5	15.0	2.6
8 (4)	9.2	16.6	1.9
10 (5)	7.5	16.7	2.1
12 (6)	9.2	20.5	2.4
14 (7)	7.8	17.2	4.0
16 (8)	8.6	14.2	1.3
18 (9)	6.4	13.0	1.0
20 (10)	5.4	11.6	2.1

in the quay or yard sides. In addition, the other operating robots successfully responded to the corrective maintenance state with the third operational model. These results indicate that the robots are successfully controlled with the use of the hybrid operational models. On the other hand, we also obtained several throughputs near the throughputs of the system (II), e.g., as shown in Fig.7(a) with 26 AGVs. The reason for this result is that there were AGVs that failed on a single lane, such as the quay and yard lanes. In this case, it is needed to develop the fourth operational model on a single lane to avoid a failed robot.

## C. Effectiveness of the Proposed System

Table I shows the increase of the throughput of the proposed system relative to the throughput of system (II) on the basis of the result shown in Fig.7. To discuss the effectiveness of the proposed system, the increase of the throughput is calculated after the throughput of the ideal system with a certain number of AGVs becomes nearly flat (see blue and diamond-shaped plots in Fig.7). In other words, the increase of the throughput when the number of AGVs is more than 20 in the result of Fig.7(a) and 17 in other results Fig.7(b)  $\sim$  Fig.7(i) is examined. In the table, "average" represents the average value of the difference between the proposed system throughput and the system throughput of (II), "max." represents the maximum value of the difference.

From Table I, we can see that the increase of the proposed system throughput is  $5.4 \sim 9.2$  (average),  $11.6 \sim 20.5$  (max.), and  $0.9 \sim 4.0$  (min.). The average increase of 9.2 [TEU/hour] produces an increase of 100 [TEU] container volume within 10 hours of system operating time. From the result of the maximum value, the increase in container volume within 10 hours of system operating time was up to 200 [TEU].

Furthermore, we can see that the proposed system is particularly effective when the  $6 \sim 16$  ATCs were used. This is because the number of yard lanes increases or decreases according to the number of locations in the container storage yard. In the proposed system, since the robots perform the given tasks by switching three hybrid operational models reactively, the AGVs could not change and select their destinations and lanes appropriately in a case in which there were few yard lanes in the yard side, e.g., four ATCs and two lanes (locations). As a result, the increase of the throughput was comparatively low. In a case in which 18 or 20 ATCs were used, i.e., there were 9 or 10 yard lanes and locations, the AGVs did not go into the yard lane successively even if an AGV or ATC failed on the yard lane or location because the tasks are assigned to each location equally for the AGVs, as described in II-B. Hence, the increase of the throughput was low in the system with many ATCs. However, from the result that the entire throughput was higher than that of the system (II), finally, the effectiveness of the proposed system in the dynamically changing states was shown.

#### VII. CONCLUSION

In this paper, we proposed a reactive robot control system with hybrid operational models in a seaport container terminal considering the robots' reliability. We developed operational models in the normal, preventive maintenance, and corrective maintenance states in order to utilize the mutual substitutability of the operation among robots. In the system, each robot was able to respond to the dynamically changing states reactively with the use of the hybrid operational models. Finally, for flexible and efficient container handling, we showed the effectiveness of the proposed system through a simulation experiment.

In future works, we will additionally take into account: (I) a multiple berth scenario in the systems which consist of a bidirectional path layout by developing more complex container routing rule and (II) a fluctuation of the lulls and peaks in the workload for the robots in the maintenance of them, for a highly efficient system.

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